

What

have

I

done?

I have been sitting  
  
in a lot of meetings.

The intention of this IDS program is to provide

- an extensive physical analysis of diffuse galactic gamma ray emission
- a continuously refined model of the diffuse emission to be used for foreground estimation by the GLAST team and GO's.

## Topics:

- IC scattering and the interstellar radiation field.
- The distribution of gas in the Galaxy.
- Hadronic interactions
- CR-Propagation
- Statistics and implementation.

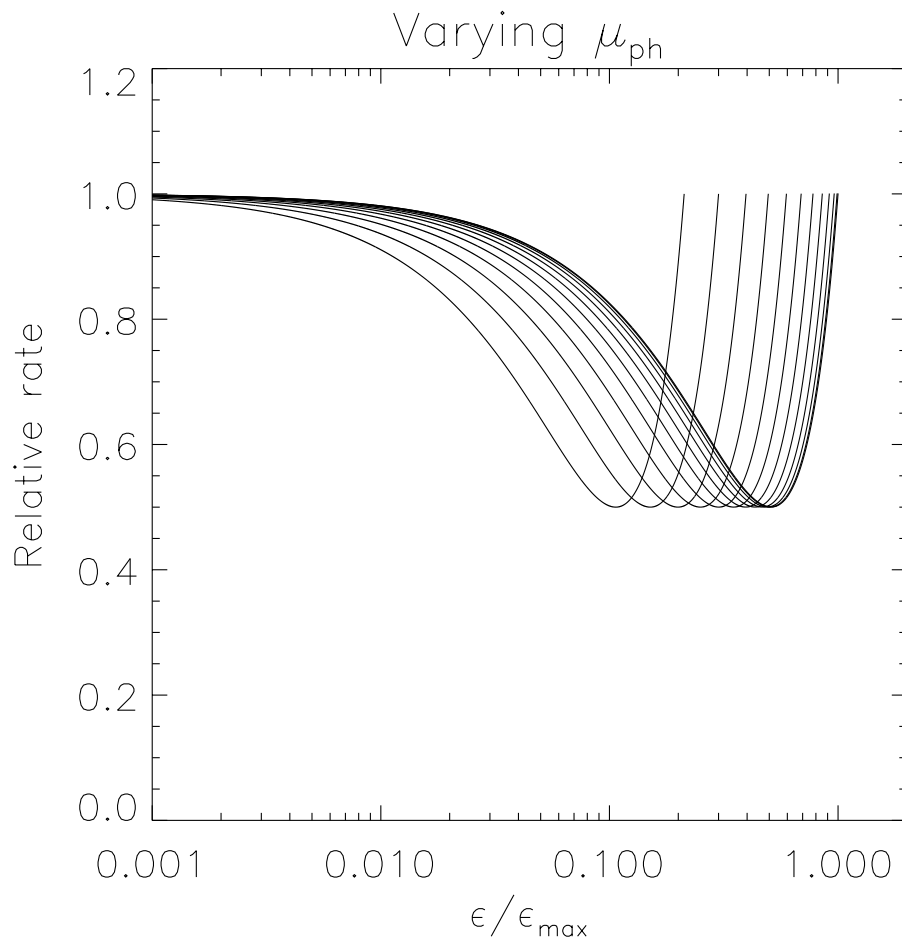
# IC scattering and the ISRF

Collaboration with Ranga Chary (SIRTF data center, CalTech)

3D-model of the interstellar radiation field based on

- DIRBE emissivities.
- CO-dust correlation.

IC-scattering is anisotropic  $\rightarrow$  sample angular distribution!



# The distribution of gas

**CO:** A new complete CO survey is available (Dame et al.).

- $1/8^\circ$  sampling
- significantly improved sensitivity.

**HI:** Stray-light corrected surveys:

- Leiden-Dwingeloo survey with 38 arcmin resolution
- Argentina survey will be available soon.
- Canadian GP survey: high-resolution in parts of the GP.

**HII:** New model for  $n_e$ -distribution available (Cordes & Lazio)

## Problems and open questions:

- Angular resolution of HI surveys
- Opacity on small scales.
- Vertical structure of the gas disk
- Separate radiative transfer for warm and cold gas?

# Hadronic interactions

$\pi^0$ -decay is not the only channel for  $\gamma$ -ray production

- Direct production of  $\gamma$ -rays
- Delta resonances at low energies
- Kaons, Lambdas and Sigmas at higher energies

Need to know

- the multiplicity spectrum
- the behaviour of higher nuclei

We use DPMJET v3 to derive the production matrices of all relevant secondaries.

The idea: the spectrum of particle  $i$  is a vector  $N_i(E_{i,j})$ .

$$Q_k(E_k) = \int dE \beta c N_i(E) \frac{d\sigma}{dE_k}(E)$$
$$\rightarrow Q_k(E_{k,l}) = \delta E_j \beta_j c \frac{d\sigma}{dE_k}(E_{i,j}) N_i(E_{i,j}) = A_{k,i} N_i(E_{i,j})$$

# CR-Propagation

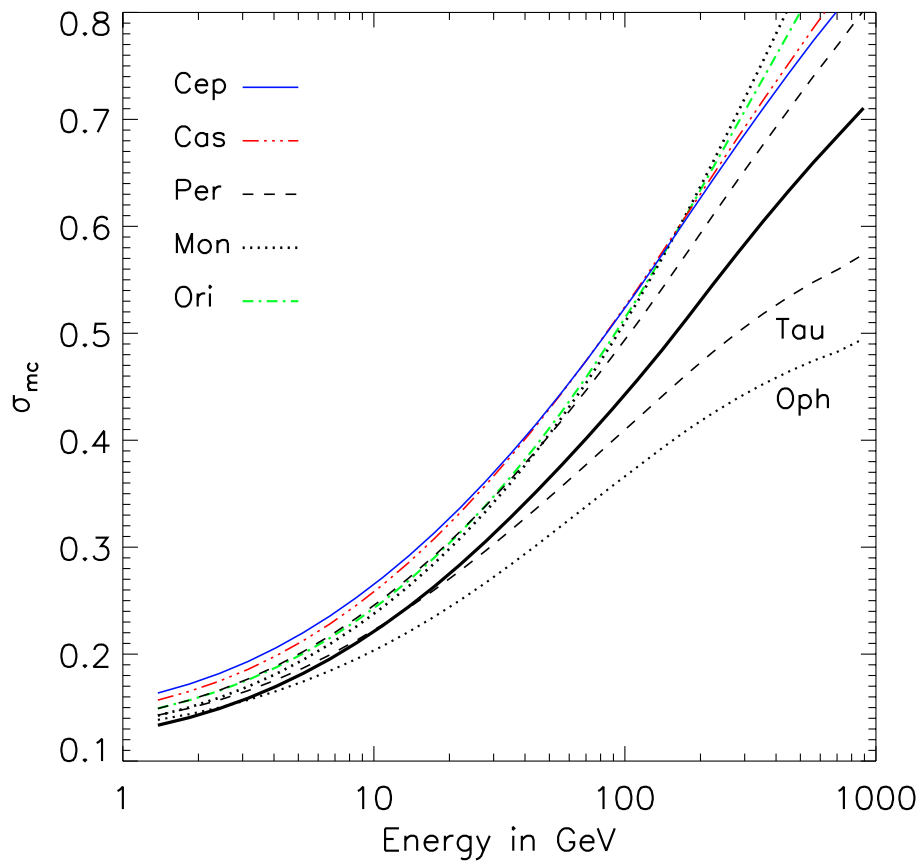
We continue the work on time-dependent propagation.

The correlation between electron spectra at different locations

$$\sigma_{\text{mc}} = \sqrt{\frac{1}{N} \sum_{n=1}^N \left( \frac{F_{\text{mc}} - \langle F_{\text{mc}} \rangle}{\langle F_{\text{mc}} \rangle} - \frac{F_{\odot} - \langle F_{\odot} \rangle}{\langle F_{\odot} \rangle} \right)^2}$$

For two fluctuating quantities:

$$\langle (\delta_1 - \delta_2)^2 \rangle = \langle \delta_1^2 \rangle + \langle \delta_2^2 \rangle - \langle 2\delta_1\delta_2 \rangle$$



# Statistics and implementation

**I wish**

the LAT team would decide on binning in angle and energy.

**Problem:** Angular resolution

The HI surveys provide only  $\sim 0.5^\circ$  resolution.

Inner Galaxy:  $\sim 10^3$  photons/yr/halfdeg-pixel above 1 GeV!

Small-scale structure will be statistically significant.

**How can we deal with it?**

**Problem:** Systematics vs. statistics

The foreground model will be dominated by systematic uncertainties.

- We need a multiplier with a penalty function
- The penalty should depend on the angular scale

**Need discussion with LAT-team on this issue.**